

ZHATKANBAYEV, Zh.Zh.

Intensity of transpiration and water consumption by the dominant  
plant species of basic communities and the water economy of soils  
in the dry steppes of central Kazakhstan. Trudy MOIP 8:66-71 '64.  
(MIRA 17:12)

ZHATKANBAYEVA, D.

Helminths of piscivorous birds of Kazakhstan. Trudy Inst. zool.  
AN Kazakh. SSR 22:110-125 '64.

(MIRA 17:12)

SKVARKOVSKIY, V.B.; GLEBOV, V.A., kand. tekhn. nauk, dotsent; ZHATKIN, G.F.;  
MIKHAYLICHENKO, N.G.; POPOV, A.D.; SIDOROV, Ye.A.; TSVETNOY, S.M.

Stand for testing miniature electrical machines in electric  
instrument systems. Sbor. st. RIIZHT no.45:58-64 '64.

(MIRA 19:1)

ZHAT'KO, O.N.; BOGOYAVLENSKIY, A.N.

Change the structure of supervisory organizations. Stroi. truboprov. 9  
no.10:7-8 0 '64. (MIRA 18:7)

1. Gosgazinspektsiya, Khar'kov (for Zhat'ko). 2. Spetsializirovannoye  
upravleniye pusko-naladochnykh rabot, Dikan'ka Poltavskoy oblasti (for  
Bogoyavlenskiy).

ZHAT'KO, O.H.

Improve the parameters and the technology of testing gas pipe lines.  
Stroi. truboprov. 9 no.4:36-37 Ap '64. (HIRA 17:9)

1. Gosgazinspektziya Gosudarstvennogo proizvodstvennogo komiteta po  
gasevoy promyshlennosti SSSR.

ZHAT'KO, O.N.

Safety measures during construction of loopings and parallel routes.  
Stroi.truboprov. 8 no.7:31 J1 '63. (MIRA 17:2)

1.. Gosudarstvennaya gazovaya inspektsiya Gazproma SSSR, Khar'kov.

ZHATIKO, Q.N.

It is necessary to improve the design solutions of condensation tanks. Stroi, truboprov. 8 no.11:18-20 '63 (MIRA 17:7)

1. Otdeleniye Gosgazinspektssii Gazproma SSSR.

ZHATKOVA, M.V.

ZHATKOVA, M.V.

Removal of a foreign body (a needle from the esophagus. Sov.med.  
Zl no.4:122-123 Ap '57. (MIRA 10:7)

1. Iz kafedry gosspital'noy khirurgii (sav. - doktor meditsinskikh  
nauk A.V.Belichenko) Kurskogo meditsinskogo instituta (dir. - prof.  
A.V.Savel'ev)  
(ESOPHAGUS--FOREIGN BODIES)



ZHAT'KOVA, M. V.:

ZHAT'KOVA, M. V.: "The course of acute intestinal impassability, using  
bromine preparations (experimental-clinical investigation)."  
Min Health USSR. Kazan' State Medical Inst. Kazan', 1956  
(Dissertation for the Degree of Candidate in Medical Sciences)

So: Knizhnaya letopis' No. 38, 1956 Moscow

ZHATKOVA, M.V. (Kursk)

Extensive resection of the small intestine in intestinal obstruction.  
Klin.med. 35 no.11:138-139 N '57. (MIRA 11:2)

1. Iz kafedry gosspital'noy khirurgii (zav. - doktor meditsinskikh nauk A.V.Belichenko) Kurskogo meditsinskogo instituta (dir. - prof. A.V.Savel'yev)

(INTESTINAL OBSTRUCTION, surg.

resection of total small intestine)

(INTESTINE, SMALL, surg.

total resection in intestinal obstruct.)

ZHATKOVA, M.V. (Kursk, ul. Radishcheva, d.50, kv.13)

Gastric volvulus. Vest. khir. 80 no.2:105 F '58. (MIRA 11:3)

1. Iz kafedry gosspital'noy khirurgii (sav.-doktor med.nauk A.V.  
Belichenko) Kurskogo meditsinskogo instituta.  
(STOMACH--DISEASES)

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ZHATOKOVA I.N.

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CIA-RDP86-00513R002064610010-1"

KRUTIKOV, L.P.; ZHATOVA, A.Ye.

Effectiveness of the use of dry bacterial starters in cold-water  
retting of hemp on collective farms. Truly Vses. inst. sel'khoz.  
mikrobiol. 16:223-228 '60. (MIRA 13:9)  
(Hemp) (Retting) (Clostridium)

*Zhatov I.V.*

ZHATOV, I.V.; PETROV, A.A.; AGEYEVA, V.A.; UKHANOVA, V.A.; BOVVA, D.L., red.;  
TYUTYAYEV, B.A., red.

[Novgorod Province during forty years of the Soviet regime, 1917-1957;  
a statistical manual] Novgorodskaya oblast' za 40 let Sovetskoi  
vlasti (1917-1957); statisticheskii sbornik. [Novgorod] Knizhnaya  
red. gazety "Novgorodskaya pravda," 1957. 501 p. (MIRA 11:3)

1. Novgorodskaya oblast'. Statisticheskoye upravleniye. 2. Nachal'-  
nik Novgorodskogo oblastnogo statisticheskogo upravleniya (for  
Bovva). 3. Novgorodskoye oblastnoye statisticheskoye upravleniye  
(for Zhatov, Petrov, Ageyeva, Ukhanova)  
(Novgorod Province--Statistics)

KRUTIKOVA, L.P.; ZHATOVA, A.Ye.

Large-scale tests of the effectiveness of dry bacterial starters  
in high-temperature retting of hemp at a hemp factory. Trudy  
Vses. inst. sel'khoz. mikrobiol. no.14:303-308 '58. (MIRA 15:4)  
(Hemp) (Retting)



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CIA-RDP86-00513R002064610010-1"

ZHAUTYKOV, O.A.

36557. Aleksandr mikhaylovich lyapunov. (Matematik. K 30-letiyu so dnya smerti). Vestnik akad. nayk kazakh. sssr, 1949, No. 8, c 79-91

S0: Letopis' Zhurnal'nykh Statey, Vol. 50, Moskva, 1949

"APPROVED FOR RELEASE: 07/19/2001

CIA-RDP86-00513R002064610010-1

ZHANG YU, C. R.

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APPROVED FOR RELEASE: 07/19/2001

CIA-RDP86-00513R002064610010-1"

**XHAUTYKOV, O.**

**K.P.Persidskii**; on the occasion of his 50th birthday. Vent.AN  
Kazakh. SSR 10 no.11:46-50 N '53. (MLRA 6:12)  
(Persidskii, Konstantin Petrovich, 1903- )

ZHAUTYKOV, O.A.

On a Cauchy problem for a denumerable partial-derivative first-order equation system. Izv.AN Kazakh.SSR.Ser.astron., fiz., mat. i mekh. no.129:41-50 '53.

(MLBA 9:5)

(Differential equations, Partial)

ZHAUTIKOV, C A

2

Zautikov, O. A. Konstantin Petrovich Paruskiy no. 10  
Minsk Strada.



ZHAUTYKOV, O.A., kandidat fiziko-matematicheskikh nauk.

Scientific conference of the mathematics and mechanics section.  
Vest. AN Kazakh. SSR 11 no.6:104-107 Je '54. (MLRA 7:8)  
(Mathematics--Congresses)

ZHAUTYKOV, O.A.

Brief survey of the development of a theory of differential  
equations with partial derivatives. Vest.AN Kazakh.SSR 11  
no.7:4-19 J1'55. (MLRA 8:10)

(Differential equations)

ZHAUTYKOV, O.A.

The problem of constructing integrals for equations with partial derivatives of the first order with a denumerable set of independent variable. Izv. AN Kazakh. SSR, Ser. mat. i mekh. no. 4:48-69 '56. (MIRA 10:3)

(Integrals) (Linear equations)

SOV/124-57-7-8101

Translation from: Referativnyy zhurnal. Mekhanika, 1957, Nr 7, p 99 (USSR)

AUTHOR: Zhautykov, O. A.

TITLE: On a Certain Seepage Problem (Ob odnoy zadache fil'tratsii)

PERIODICAL: Izv. AN KazSSR, ser. matem. i mekhan., 1956, Nr 4, pp 70-79

ABSTRACT: The author investigates the plane-radial unsteady-state seepage of a uniform elastic fluid in an infinitely extended elastic layer. The flow toward a well with radius  $R_c$  inside a zone of radius  $R_k$  is examined; the porosity of the layer is designated as  $m$ , its permeability is  $k$ , and its piezoconductivity coefficient  $a^2$ ; the total volumetric yield of the well is assumed as constant. The pressure  $p(r, t)$  at any point of the layer is determined. The solution is reduced to the finding of the solution of the differential equation

$$\frac{\partial^2 p}{\partial r^2} + \frac{1}{r} \frac{\partial p}{\partial r} = \frac{1}{a^2} \frac{\partial p}{\partial t} \quad (1)$$

Card 1/2 which satisfies several initial and boundary conditions; one of these conditions is the following

SOV/124-57-7-8101

On a Certain Seepage Problem

$$p(r, 0) = \phi(r)$$

By employing Laplace transform

$$\bar{p}(r, s) = \int_0^{\infty} p(r, t) e^{-st} dt \quad (2)$$

the author transforms equation (1) to the form

$$\frac{d^2 \bar{p}}{dr^2} + \frac{1}{r} \frac{d\bar{p}}{dr} - \frac{s}{a^2} \bar{p} = -\frac{s \phi(r)}{a^2} \quad (3)$$

Since the multiplier  $s$  in the right part of the equation is redundant, this result is incorrect. This error shows up in the author's further operations. Bibliography: 5 references.

V. A. Karpychev

Card 2/2

ZHAUTYKOV, O.A.

Solving a nonlinear partial differential equation of the first  
order of a denumerable set of independent variables. Izv. AN  
Kazakh. SSR. Ser. mat. i mekh. no.5:45-61 '56. (MLRA 10:2)

(Differential equations, Partial)

ZHAUTYKOV, O.A., kandidat fiziko-matematicheskikh nauk.

The role of the great Russian mathematician, N.I.Lobachevskii,  
in world science. Vest.AN Kazakh.SSR 12 no.2:67-76 P '56.  
(Lobachevskii, Nikolai Ivanovich, 1792-1856) (MLRA 9:6)

ZHAUTYKOV, O. A.

"Development of Mathematics in Kazakhstan." p. 260. in Science in Kazakhstan during the Forty Years of the Soviet Regime. Alma-Ata. Izd-vo AN Kazakhskoy SSB, 1957. 452p. (ed. Stapayer, K. I)

~~Yk~~ This is a collection of articles (20) compiled by 24 authors on various aspects of scientific progress in Soviet Kazakhstan. One third of the articles also deal with the progress made in the main fields of industrial endeavor. The articles on the development of science survey the main contributions made in the respective branches by Kazakh scientists, and enumerate and describe the existing scientific institutes, organizations, and universities. A large number of scientists are mentioned and their fields of interest stated.



SOV/124-58-11-12901

Translation from: Referativnyy zhurnal, Mekhanika, 1958, Nr 11, p 148 (USSR)

AUTHOR: Zhautykov, O. A.

TITLE: On the Solution of a Particular Problem of the Theory of Seepage  
(Po povodu resheniya odnoy zadachi teorii fil'tratsii)

PERIODICAL: Izv. AN KazSSR. Ser. matem. i mekhan., 1957, Nr 6 (10),  
pp 46-50

ABSTRACT: An examination of the problem (Zhautykov, O. A., Izv. AN KazSSR, Ser. matem. i mekhan., 1956, Nr 4, pp 70-79; RZhMekh, 1957, Nr 7, abstract 8101) on the pressure distribution in an elastic stratum following the sudden stoppage of the operation of a deep-well pump, assuming that the continuing flow of the liquid toward the well results in a dynamic rise of the free surface, i. e., the pressure on the well bottom is increased. The solution of the heat-conductivity equation

$$\frac{\partial^2 p}{\partial r^2} + \frac{1}{r} \frac{\partial p}{\partial r} = \frac{1}{a^2} \frac{\partial p}{\partial t}, \quad R \leq r \leq R_k, \quad t \geq 0$$

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SOV/124-58-11-12901

On the Solution of a Particular Problem of the Theory of Seepage

under the conditions:

$$p(r, 0) = \phi(r) \quad \text{for } R \leq r \leq R_k$$

$$p(R_k, t) = p_k = \text{const} \quad \text{for } t \geq 0$$

$$\left(\frac{\partial p}{\partial r}\right)_{r=R} = \gamma \left(\frac{\partial p}{\partial t}\right)_{r=R} \quad \text{for } t \geq 0$$

where  $\gamma$  is a constant and  $R$  is the radius of the well, is sought in the form of  $p(r, t) = u(r, t) + \phi(r)$ , wherein the Laplace transform is used. The expression for the function  $u(r, t)$  is found; however, in the transition to  $u(r, t)$  the author does not investigate the existence of the roots of the polynomial of the Bessel functions that enters as a factor into the denominator of the expression of the Fourier-Mellin inversion formula under the integral, i. e., the possible presence of additional poles is not investigated. Therefore, the problem as set up does not appear complete, and the final result thereof appears unsubstantiated.

V. N. Nikolayevskiy

Card 2/2

**AUTHOR:** ZHAUTYKOV, O.A. (Alma-Ata) 39-1-3/8

**TITLE:** The Generalization of the Poisson Brackets for Functions of Enumerably Many Variables (Obobshcheniya skobok Puassona dlya funktsiy schetnogo mnozhestva peremennykh).

**PERIODICAL:** Matematicheskiy Sbornik, 1957, Vol 43, Nr 1, pp. 29-36 (USSR)

**ABSTRACT:** Let the functions  $\varphi(x_1, x_2, \dots; z_1, z_2, \dots)$  and  $\psi(x_1, x_2, \dots; z_1, z_2, \dots)$  be continuous in the domain  $H: |x_k| < R, |z_r| < R$  ( $k, r = 1, 2, \dots$ ) with respect to the metric  $\varrho[(x_1, x_2, \dots; z_1, z_2, \dots), (x'_1, x'_2, \dots; z'_1, z'_2, \dots)] = \sup \{|x_1 - x'_1|, \dots, |z_1 - z'_1|, \dots\}$  and uniformly bounded. They are assumed to possess continuous, uniformly bounded partial derivatives of first order and satisfy the conditions

$$|\varphi(x_1, x_2, \dots, x_{m-1}, x'_m, x'_{m+1}, \dots; z_1, z_2, \dots, z_{m-1}, z'_m, z'_{m+1}, \dots) - \varphi(x_1, x_2, \dots, x_{m-1}, x''_m, x''_{m+1}, \dots; z_1, z_2, \dots, z_{m-1}, z''_m, z''_{m+1}, \dots)| \leq \varepsilon_m \Delta z; \text{ etc. for } \psi \text{ where } \Delta z = \sup [|x'_m - x''_m|, \dots, |z'_m - z''_m|, \dots].$$

For  $m \rightarrow \infty$  it is assumed that  $\varepsilon_m$  tends to 0 uniformly in  $x, x', x'', z, z', z''$ .

Card 1/2

The Generalization of the Poisson Brackets for Functions  
of Enumerably Many Variables.

39-1-3/8

The series  $(\varphi, \psi) = \sum_{k=1}^{\infty} \left( \frac{\partial \varphi}{\partial z_k} \cdot \frac{\partial \psi}{\partial x_k} - \frac{\partial \varphi}{\partial x_k} \cdot \frac{\partial \psi}{\partial z_k} \right)$

which is uniformly convergent under these conditions is denoted as Poisson bracket. It is  $(\varphi, \psi) = -(\psi, \varphi)$ ,  $(\varphi, c\psi) = c(\varphi, \psi)$ ,  
 $(\varphi, \psi + \chi) = (\varphi, \psi) + (\varphi, \chi)$ ,  $(\varphi, \chi\psi) = \chi(\varphi, \psi) + \psi(\varphi, \chi)$ ,

$$(\varphi, \phi(f_1, f_2, \dots)) = \sum_{i=1}^{\infty} (\varphi, f_i) \frac{\partial \phi}{\partial f_i}.$$

There also holds the Poisson identity:

$$(\varphi, (\psi, \omega)) + (\psi, (\omega, \varphi)) + (\omega, (\varphi, \psi)) = 0.$$

Two Soviet references are quoted.

SUBMITTED:

May 21, 1956

AVAILABLE:

Library of Congress

Card 2/2

ZHAUTYKOV, O.A.

card 2

16(1), 14(10)

PHASE I BOOK EXPLOITATION

SOV/1281

Akademiya nauk Kazakhskoy SSR. Sektor matematiki i mekhaniki

Trudy, t. 1 (Transactions of the Mathematics and Mechanics Section, Kazakh S.S.R. Academy of Sciences, v. 1) Alma-Ata, Izd-vo AN Kazakhskoy SSR, 1958. 207 p. 2,500 copies printed.

Eds.: Vaslavskiy, N.A. and Shevchuk, T.I.; Tech. Ed.: Rorokina, Z.P.; Editorial Board: Akushskiy, I.Ya., Archashnikov, V.P., Zhaitykov, O.A. (Resp. Ed.), Zhilenko, I.G. (Resp. Secretary), Molyukov, I.D., Strel'tsov, V.V.

PURPOSE: This book is intended for scientists, and students taking senior physics and mathematics courses at vuzes.

COVERAGE: The book contains contributions by scientists in Kazakhstan in the fields differential equations, theory of elasticity, algebra, nomography, calculation by machine, theory of plasticity, mechanics of a medium of variable mass, etc. It is dedicated to the 10th anniversary of the organization of the Sektor matematiki i mekhaniki Akademii nauk Kazakhskoy SSR (Mathematics and Mechanics Section, Academy of Sciences, Kazakh SSR.)

Card 1/4

Transactions of the Mathematics (Cont.)

SOV/1281

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SOV/1281

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AVAILABLE: Library of Congress	

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Card 4/4



ZHAUTYKOV, O.A.

Mathematics in Kazakhstan during the Soviet regime. Trudy  
Sekt.mat. i mekh.AN Kazakh.SSR 1:5-24 '58. (MIRA 11:12)  
(Kazakhstan--Mathematics)

ZHAUTYKOV, O.A.

One partial linear differential equation of the first order having  
a denumerable set of independent variables and containing a  
denumerable set of parameters. Trudy Sekt.mat. i mekh. AN Kazakh.  
SSR 1:25-40 '58. (MIRA 11:12)  
(Differential equations, Partial)

ZHAUTYKOV, O.A.

Deriving solutions of the Cauchy problem for infinite systems  
of partial linear differential equations. Izv.AN Kazakh.SSR.  
Ser.mat.i mekh. no.8:3-17 '59. (MIRA 13:5)  
(Differential equations, Linear)

ZHAUTYKOV, O.A.

Cauchy problem for a system of a finite number of partial  
linear equations of the first order with an enumerable set of  
arguments. Izv.AN Kazakh,SSR.Ser.mat.i mekh. no.8:18-20 '59.  
(MIRA 13:5)

(Differential equations, Linear)

5

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SOV/39-49-3-4/7

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AUTHOR: Zhaiykov, O.A. (Alma-Ata)

TITLE:

On a Denumerable System of Differential Equations With Variable Parameters

PERIODICAL:

Matematicheskii sbornik, 1959, Vol 49, Nr 3, pp 317-330 (USSR)

ABSTRACT:

Let the denumerable system

$$(1) \quad \frac{dx_s}{dt} = f_s(t, x_1, x_2, \dots, \mu), \quad s = 1, 2, \dots$$

be given. Let  $t$  be a real variable,  $x$  real or complex variables,  $f_s$  real or complex functions,  $\mu$  parameter. Let  $f_s$  be continuous in  $H$ :  $0 \leq t \leq T$ ,  $|x_s| \leq R$  ( $s = 1, 2, \dots$ ),

$\lambda_0 \leq \mu \leq \lambda_1$ . In  $H$  let

$$(2) \quad |f_s(t, x_1, \dots, x_{m-1}, x_m', x_{m+1}', \dots, \mu) -$$

$$- f_s(t, x_1, x_2, \dots, x_{m-1}, x_m'', x_{m+1}'', \dots, \mu)| \leq \varepsilon_m \Delta u$$

( $s = 1, 2, \dots$ )

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On a Denumerable System of Differential Equations  
With Variable Parameters.

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where  $\varepsilon_m \rightarrow 0$  for  $m \rightarrow \infty$  and  $\Delta u = \sup \left[ |x'_m - x''_m|, |x'_{m+1} - x''_{m+1}|, \dots \right]$ . Let  $|f_s(t, 0, 0, \dots; \mu)| \leq B(t)$  for all  $t \in [0, T]$ , where  $B(t)$  is continuous. Let  $|f_s(t, x_1, x_2, \dots; \mu)| \leq A(t) \sup [|x_1|, |x_2|, \dots] + B(t)$ ,  $A(t)$  continuous too. For each sequence  $x_1(t, \mu), x_2(t, \mu), \dots$ , continuous for  $\lambda_0 \leq \mu \leq \lambda_1$  on  $[0, T]$  and satisfying the conditions  $|x_s(t, \mu)| \leq R$ , let  $f_s[t, x_1(t, \mu), x_2(t, \mu), \dots]$  be measurable on  $[0, T]$ .

Theorem 1 states that only one bounded solution of (1) which is uniformly continuous with respect to  $t$  and  $\mu$  goes through each internal point of  $H$ . This solution exists for all

Card 2/3

6

On a Denumerable System of Differential Equations  
With Variable Parameters

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SOV/39-49-3-4/7

$t \in [0, T]$ , for which it is

$$(*) \sup [ |x_1(t, \mu)|, |x_2(t, \mu)|, \dots ] \leq R.$$

Besides (1) consider the shortened system

$$(5) \frac{dx_i}{dt} = f_i(t, x_1, x_2, \dots, x_n, 0, 0, \dots; \mu) \quad i = 1, 2, \dots, n.$$

Theorem 2 gives conditions under which the solutions of (5) for  $n \rightarrow \infty$  tend uniformly in  $\mu$  to the solutions of (1). Theorem 3 generalizes this result to a system with finitely many parameters  $\mu$ . Then the author considers the above systems with denumerably many parameters  $\mu$ . In two theorems he investigates the analytic and periodic behavior of the solutions of (1). A.N. Tikhonov and K.P. Persidskiy are mentioned in the paper. - There are 6 references, 5 of which are Soviet, and 1 French.

SUBMITTED:

December 23, 1957

Card 3/3

ZhAUTYKOV, O. A., Dr. Phys-Math Sci -- (diss) "Investigation on the Theory of Calculating Systems of Differential Equations," Novosibirsk, 1960, 25 pp, 200 copies (Joint Scientific Council on Physics-Mathematical and Technical Sciences, Siberian Department, AS USSR) (KL, 47/60, 97)



BEDEL'BAYEV, Abdesh Kuramayevich; ZHAUTYKOV, O.A., dotsent, kand.fiz.-mat.  
nauk, otv.red.; ALEKSANDRIYSKIY, V.V., red.; ALFHROVA, P.F.,  
tekhn.red.

[Stability of nonlinear automatic control systems] Ustoichivost'  
nelineinykh sistem avtomaticheskogo regulirovaniia. Alma-Ata,  
Izd-vo Akad.nauk Kazakhskoi SSR, 1960. 162 p. (MIRA 13:10)  
(Automatic control)

83222

S/041/60/012/002/003/005

C111/C333

16.3400

AUTHOR: Zhautykov, O.A.

TITLE: The Solution of the Boundary Value Problem for an Infinite System of Ordinary Differential Equations

PERIODICAL: Ukrainskiy matematicheskiy zhurnal, 1960, Vol. 12, No. 2, pp. 157-164

TEXT: Let  $G: t \in [\alpha, \beta], |x_k - a_k| \leq b, k=1, 2, \dots$  be a domain of the denumerable-dimensional space  $(t, x_1, x_2, \dots)$ . Let  $\omega_s(t, x_1, x_2, \dots)$  be continuous and uniformly bounded in  $G$ , i.e.

(2)  $|\omega_s(t, x_1, x_2, \dots)| \leq M(t), t \in [\alpha, \beta], M(t)$  positive and continuous. Let the Lipschitz condition

(3)  $|\omega_s(t, x_1^1, x_2^1, \dots) - \omega_s(t, x_1^2, x_2^2, \dots)| \leq \Lambda(t) \Delta v$

be satisfied in  $G$ , where  $\Lambda(t), t \in [\alpha, \beta]$  is continuous and  $\Delta v = \sup [x_1^1 - x_1^2, |x_2^1 - x_2^2|, \dots]$ . The author considers the boundary value problem

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S/041/60/012/002/003/005  
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The Solution of the Boundary Value Problem for an Infinite System of Ordinary Differential Equations

$$(1) \quad \frac{dx_s}{dt} = \omega_s(t, x_1, x_2, \dots), \quad s=1, 2, \dots, \quad (4) \quad x_k(t_k) = a_k \quad (k=1, 2, \dots),$$

where  $t_k \in G \subset [\alpha, \beta]$  and the length  $h$  of  $G$  satisfies the condition

(5)  $hN < b$ ,  
where  $N = \max [M(t), A(t)]$ . Theorem 1 says that the problem (1)-(4) on  $G$  possesses an equicontinuous system of solutions  $x_1(t), x_2(t), \dots$ , which can be determined by the equivalent system of integral equations

$$(6) \quad x_s(t) = a_s + \int_{t_s}^t \omega_s[\tau, x_1(\tau), x_2(\tau), \dots] d\tau.$$

Theorem 2 says that this solution is unique. Theorem 3 says that the solution is uniformly continuous relative to the  $a_k$ , if  $t$  satisfies the condition  $\sup [|x_1(t) - a_1|, |x_2(t) - a_2|, \dots] < b$ . The author gives conditions under which the solution of the infinite system can be sufficiently well

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The Solution of the Boundary Value Problem for an Infinite System of Ordinary Differential Equations

described by the solution of a "shortened" (finite) system.

The author mentions A.B.Nayshul'.

There are 2 Soviet references.

SUBMITTED: August 29, 1958

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DOCSID: 10002004

UTER: Zharutykov, O. A.

TITLE: Use of the method of averaging to solve problems encountered in vibration theory.

SOURCE: N. U.S.S.R. Institute International. Title: "The USSR and the World, 1945-1950".

NOFIC TAGS: averaging method, vibrating and, particle, interaction, equation of motion, approximate solution, vibration theory, averaged equation

ABSTRACT: This article considers the problem of determining a solution to a linear partial differential equation:

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 25. 1. 1944

to which the problem of a vibrating rod reduces when the dissipation of energy in the material is taken into consideration here, we (in a somewhat different form) have previously considered in connection with the problem of the stability of a polymer or holomorphic function with respect to  $\epsilon$ , and obtaining a free term

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ACCESSION NR. AT-00000000

with coefficients depending on the  
and boundary conditions are imposed

The system of equations is solved

respecting the coefficients of the  
terms of the system of equations

It is then proved that the approximate  
solutions for the "truncated" system

...ing for the "truncated" system.

... 2 ...

ACCESSION NR: AT 702 201

are a ... approximate ...  
provide ... that contain ...  
... are ...



ASSOCIATION: none

SUBMITTED: 00

NO REF: 00

L 21003-66 B-T(a) IJP(a)

ACC NR: AP5028613

SOURCE CODE: UR/0041/65/017/001/0039/0046

AUTHOR: Zhautykov, O. A.

ORG: none

5  
B

TITLE: Averaging principle in nonlinear mechanics applied to denumerable systems of equations

SOURCE: Ukrainskiy matematicheskiy zhurnal, v. 17, no. 1, 1965, 39-46

TOPIC TAGS: ordinary differential equation, differential equation system, mathematic physics, mechanics

Abstract: A review of averaging principles is given for systems of ordinary differential equations. It has been demonstrated elsewhere that the theorem of N. N. BOGOLYUBOV on averaging may be considered as a corollary of a generalized theorem for the continuous dependence of solutions of a differential equation

$$\frac{dx}{dt} = F(t, x, \lambda)$$

on parameter  $\lambda$ , where  $F(t, x, \lambda)$  is a function of  $\mathbb{R}^n$  defined for

$t \in (0, T)$  and  $x \in G, \lambda \in \Lambda$ . These results were further extended by others, and from these the author obtains a finite system of differential equations

$$\frac{dx_k}{dt} = f_k(t, x_1, x_2, \dots, \lambda) \quad (k = 1, 2, \dots), \quad (1)$$

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where  $\lambda \in C^\infty$ , a point of which is a finite family of continuous functions uniformly bounded by a constant. Conditions are given for the continuity of operator

$$x_k(t, \lambda) = x_k^0 + \int_0^t f_k(\tau, x(\tau), \lambda) d\tau \quad (k = 1, 2, \dots), \quad (2)$$

which is compact.

Three theorems are proved:

Theorem 1. Let the right-hand side  $Y_k$  of equation (1) satisfy the following conditions:

1) The functions  $Y_k$  are uniformly continuous with respect to every  $t$  and  $x = (x_1, x_2, \dots)$ ,  $t \in [0, T]$ ,  $x \in D$ .

2)  $Y_k$  in region  $H$  satisfy the Cauchy-Lipschitz condition, for  $x_1, x_2, \dots$

$$|Y_k(t, x_1', x_2', \dots, \lambda) - Y_k(t, x_1'', x_2'', \dots, \lambda)| \leq K \Delta u$$

( $k = 1, 2, \dots$ ),

where  $K$  is a constant independent of  $t$  and  $\lambda$ . Here

$$\Delta u = \sup [ |x_1' - x_1''|, |x_2' - x_2''|, \dots ].$$

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3)  $y_n \in H$  satisfies

$$|f_n(t, x_1, x_2, \dots; \lambda)| \leq a_n,$$

where  $a_n \rightarrow 0$  as  $n \rightarrow \infty$ . Then the operator generated by equations (2) is continuous with respect to the family of functions satisfying the condition

$$x_k(t, \lambda) = x_k^0 + \int_0^t f_k(\tau, x_1(\tau), x_2(\tau), \dots; \lambda) d\tau \quad (k=1, 2, \dots)$$

in  $C^\infty$  for some fixed  $\lambda \in \Lambda$ .

The other two theorems are similar. Theorem 3 applies the theorem of N. N. BOGOLYUBOV to the problem in the article. Orig. art. has 28 formulas. [JPRS]

SUB CODE: MA, ME / SUBM DATE: 13Sep63 / ORIG REF: 005 / OTH REF: 001

Card 3/3 BK

ZHAUTYKOV, O.A., akademik, otv. red.; AMANDOSOV, A.', red.; YERZHANOV, Zh.S., doktor tekhn. nauk, red.; KIM. Ye.I., red.; PERSIDSKIY, K.P., akademik, red.; SHEVCHUK, T.I., red.

[Studies on differential equations and their application]  
Issledovaniia po differentsial'nym uravneniiam i ikh  
primeneniui. Alma-Ata, Nauka, 1965, 1965. 199 p.

(MIRA 18:8)

1. Akademiya nauk Kazakhskoy SSR, Alma-Ata. Sektor matematiki i mekhaniki. 2. Chlen-korrespondent AN Kaz.SSR (for Kim).
3. AN Kaz.SSR (for Zhautykov, Persidskiy).

ZHAUTYKOV, O.A.

Use of the method of averaging in solving a partial differential  
equation occurring in oscillation theory. Prikl.metod.resch.diff.  
urav. no.2:52-61 '64. (MIRA 18:4)

ZHAUTYKOV, O.A. (Alma-Ata)

The principle of averaging in nonlinear mechanics and its  
application to enumeration systems of equations. Ukr. mat.  
zhur. 17 no.1:39-46 '65. (MIRA 18:3)

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Usp. mat. nauk 18 no.6:241 '63. (MIRA 17:3)



ZHAUTYKOV, O. A.

Stability of Solution of the CAUCHY Problem for an Endless System of Equations  
Consisting of Partial Derivatives p.21

TRANSACTIONS OF THE 2ND REPUBLICAN CONFERENCE ON MATHEMATICS AND MECHANICS  
(TRUDY VSEVOY RESPUBLIKANSKOY KONFERENTSIY PO MATEMATIKE I MEKHANIKE), 181  
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PENTKOVSKIY, M.V., otv. red.; ZHAUTYKOV, O.A., red.; MOLYUKOV, I.D., red.; PERSIDSKIY, K.P., red.; YATAYEV, M., red.; BEDEL'BAYEV, A.K., red.; OSADCHIY, F.Ya., red.; SHEVCHUK, T.I., red.; ALFEROVA, P.F., tekhn. red.

[Transactions of the Second Republic Conference on Mathematics and Mechanics] Trudy Vtoroy respublikanskoy konferentsii po matematike i mekhanike. Alma-Ata, Izd-vo Akad.nauk Kazakhskoy SSE, 1962. 183 p. (MIRA 15:7)

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(Mathematics—Congresses) (Mechanics—Congresses)

S/044/62/000/007/034/100  
C111/C222

AUTHOR: Zhautykov, O.A.

TITLE: The application of functional analysis to the solution of a problem of the dynamic stability of elastic systems

PERIODICAL: Referativnyy zhurnal, Matematika, no. 7, 1962, 63-64, abstract 7B299. ("Funktional'n. analiz i yego primeneniye". Baku, AN Azerb SSR, 1961, 52-56)

TEXT: The author considers the uniqueness of the solution of the Cauchy problem for the integro-differential equation

$$v(x,t) + \int_0^1 m(\xi)K(x,\xi) \frac{\partial^2 v(\xi,t)}{\partial t^2} d\xi - \\ - \lambda \int_0^1 N_0(\xi) \frac{\partial K(x,\xi)}{\partial \xi} \frac{\partial v(\xi,t)}{\partial \xi} d\xi = 0.$$

[Abstracter's note : Complete translation.]

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ZHAUTYKOV, O.A. (Alma-Ata)

Extending the Hamilton-Jacobi theorems to an infinite canonical system of equations. Mat.sbor. 53 no.3:313-328 Mr '61. (MIRA 14:3)  
(Differential equations, Partial)

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16.3500  
AUTHOR:

Zheutykov, O.A. (Alma-Ata)

TITLE:

On the extension of the theorems of Hamilton-Jacobi to an infinite canonical system of functions

PERIODICAL: Matematicheskiy sbornik, vol.53, no.3, 1961, 313-328

TEXT: The paper treats the extension of the theory of Hamilton-Jacobi to the infinite system

$$\left. \begin{aligned} \frac{dx_k}{dt} &= \frac{\partial H}{\partial y_k}, \\ \frac{dy_k}{dt} &= -\frac{\partial H}{\partial x_k} \end{aligned} \right\} \quad (k=1,2,\dots), \quad (1)$$

where  $H = H(t, x_1, x_2, \dots, y_1, y_2, \dots)$ .

Let the function  $z(x_1, x_2, \dots)$  given in the countable-dimensional region  $G : |x_k| \leq R$  ( $k=1,2,\dots$ ) have continuous uniformly bounded derivatives of first order and let it satisfy

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On the extension of the theorems...

$$|z(x_1, x_2, \dots, x_{m-1}, x'_m, x'_{m+1}, \dots) - z(x_1, x_2, \dots, x_{m-1}, x''_m, x''_{m+1}, \dots)| \leq \varepsilon_m \Delta x, \quad (2)$$

where  $\Delta x = \sup [ |x'_m - x''_m|, |x'_{m+1} - x''_{m+1}|, \dots ]$  and  $\varepsilon_m \rightarrow 0$  with  $m \rightarrow \infty$ . Let the  $x_1(s), x_2(s), \dots$  be real continuous functions with continuous derivatives of first order, and let

$$|x_k(s + \Delta s) - x_k(s)| \leq L |\Delta s| \quad (k=1, 2, \dots), \quad (3)$$

where  $\sup [ |x_1(s)|, |x_2(s)|, \dots ] \leq R$ ,  $L = \text{const}$ . Then there exists

$$\frac{dz}{ds} = \sum_{k=1}^{\infty} \frac{\partial z}{\partial x_k} \frac{dx_k}{ds}, \quad (4)$$

where the series converges if  $|\frac{dx_k}{ds}| < +\infty$ . Then the complete differential of  $z = z(x_1, x_2, \dots)$  reads:

$$dz = \sum_{k=1}^{\infty} \frac{\partial z}{\partial x_k} dx_k.$$

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On the extension of the theorems...

Let a system be determined by the countable number of generalized coordinates  $q_1, q_2, \dots$ . Let  $\dot{q}_1 = \frac{dq_1}{dt}$ ,  $\dot{q}_2 = \frac{dq_2}{dt}$ , ... be the generalized velocities. Let the series  $\sum_{k=1}^{\infty} \frac{q_k^2}{k}$  converge at least in one point of  $[t_1, t_2]$ , let the series  $\sum_{k=1}^{\infty} \dot{q}_k^2$  converge uniformly on  $[t_1, t_2]$ , where

$$\left. \begin{aligned} |q_k(t+\Delta t) - q_k(t)| &\leq K \Delta t, \\ |\dot{q}_k(t+\Delta t) - \dot{q}_k(t)| &\leq K \Delta t \end{aligned} \right\} \quad (k=1, 2, \dots), \quad (6)$$

shall be satisfied,  $K = \text{const.}$  In analogy to the classical mechanics the author introduces the Lagrange function  $L(t, q_1, q_2, \dots, \dot{q}_1, \dot{q}_2, \dots)$ .

The principle of the least action asserts: If in the moment  $t = t_1$  the system is described by  $(q_1^{(1)}, q_2^{(1)}, \dots)$  and in the moment  $t = t_2$  by  $(q_1^{(2)}, q_2^{(2)}, \dots)$  then meanwhile the system moves so that

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$$I(\gamma) = \int_{t_1}^{t_2} L(t, q_1, q_2, \dots; \dot{q}_1, \dot{q}_2, \dots) dt \quad (7)$$

has a minimum (that holds at least for sufficiently small parts of the path of motion). It is assumed that  $L$  is continuous, uniformly bounded, two times continuously differentiable and that it satisfies

$$|L(t, q_1, q_2, \dots, q_{m-1}, \dot{q}_m, \dot{q}_{m+1}, \dots; \dot{q}_1, \dot{q}_2, \dots, \dot{q}_{m-1}, \ddot{q}_m, \ddot{q}_{m+1}, \dots) - \\ - L(t, q_1, q_2, \dots, q_{m-1}, \ddot{q}_m, \ddot{q}_{m+1}, \dots; \dot{q}_1, \dot{q}_2, \dots, \dot{q}_{m-1}, \ddot{q}_m, \ddot{q}_{m+1}, \dots)| \leq \\ \leq e_m \Delta q,$$

$$\left| \frac{\partial L(t, q_1, q_2, \dots, q_{m-1}, \dot{q}_m, \dot{q}_{m+1}, \dots; \dot{q}_1, \dot{q}_2, \dots, \dot{q}_{m-1}, \ddot{q}_m, \ddot{q}_{m+1}, \dots)}{\partial \dot{q}_h} - \right. \\ \left. - \frac{\partial L(t, q_1, q_2, \dots, q_{m-1}, \ddot{q}_m, \ddot{q}_{m+1}, \dots; \dot{q}_1, \dot{q}_2, \dots, \dot{q}_{m-1}, \ddot{q}_m, \ddot{q}_{m+1}, \dots)}{\partial \dot{q}_h} \right| \leq \\ \leq e_m \Delta q, \quad (9)$$

where

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On the extension of the theorems...

$$\Delta q = \sup [ |q'_m - q''_m|, |q'_{m+1} - q''_{m+1}|, \dots, |\dot{q}'_m - \dot{q}''_m|, \dots ], \quad \varepsilon_m \rightarrow 0 \text{ for } m \rightarrow \infty.$$

If the time  $t$  is not varied then by forming  $\delta I$ , as it is usual, there follow the Lagrange equations

$$\frac{\partial L}{\partial q_k} - \frac{d}{dt} \frac{\partial L}{\partial \dot{q}_k} = 0 \quad (k=1, 2, \dots). \quad (13)$$

Let  $\sum_{k=1}^{\infty} \left( \frac{\partial L}{\partial \dot{q}_k} \right)^2 = \sum_{k=1}^{\infty} p_k^2$  converge uniformly on  $t_1 \leq t \leq t_2$ , then

$$dH = - \sum_{k=1}^{\infty} \dot{p}_k dq_k + \sum_{k=1}^{\infty} \dot{q}_k dp_k \quad (15)$$

where  $H(t, p_1, p_2, \dots; q_1, q_2, \dots) = \sum_{k=1}^{\infty} p_k \dot{q}_k - L(t, q_1, q_2, \dots; \dot{q}_1, \dot{q}_2, \dots)$  is the energy of the system. From (15) there follows the canonical system

$$\frac{dq_k}{dt} = \frac{\partial H}{\partial p_k}, \quad \frac{dp_k}{dt} = - \frac{\partial H}{\partial q_k}, \quad (k=1, 2, \dots). \quad (16)$$

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On the extension of the theorems...

If  $L$  does not explicitly contain the time then there exists the energy integral  $H = \text{const.}$

Let the function  $H$  and its derivatives'  $\frac{\partial H}{\partial q_k} = F_k$ ,  $\frac{\partial H}{\partial p_k} = \phi_k$  in  $G$  :

$0 \leq t \leq T$ ,  $|p_s| \leq R$ ,  $|q_s| \leq R$  satisfy the condition of the kind (9). Let

$$u(t, p_1, p_2, \dots, q_1, q_2, \dots) = C \quad (18)$$

be the integral of (16), where  $C$  is an arbitrarily constant, and  $u$  is a continuously differentiable function defined in  $G$  and satisfying the condition of the kind (9), the complete derivative of which with respect to  $t$  vanishes after the use of (16).

Let  $(u, H)$  be the Poisson-bracket; then

$$\frac{du}{dt} = \frac{\partial u}{\partial t} + (u, H).$$

Theorem 1: If  $\varphi(t, p_1, p_2, \dots, q_1, q_2, \dots) = a$  and  $\psi(t, p_1, p_2, \dots, q_1, q_2, \dots) = b$  are first integrals of (16) then  $(\varphi, \psi) = C$  is an integral of the system too.

Theorem 2: If (7) is considered as a continuously differentiable function  
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On the extension of the theorems...

of the coordinates and the time which satisfies the "strengthened" Cauchy-Lipschitz condition (of the kind (9)) then this function satisfies the partial differential equation

$$\frac{\partial \pi}{\partial t} + H(t, q_1, q_2, \dots; \frac{\partial \pi}{\partial q_1}, \frac{\partial \pi}{\partial q_2}, \dots) = 0 \quad (27)$$

(Hamilton-Jacobi equation of the system).

Theorem 3: Let  $v(t, q_1, q_2, \dots, a_1, a_2, \dots)$  be a continuous uniformly bounded function of  $t, q_1, q_2, \dots$ , defined in the region  $E : 0 \leq t \leq T, |q_k| \leq R (k=1, 2, \dots)$ . Let it have continuous partial derivatives with respect to the variables  $t, q_1, q_2, \dots$ , as well as with respect to the parameters  $a_1, a_2, \dots$ . Let it together with the derivatives  $\frac{\partial v}{\partial a_i} (i=1, 2, \dots)$  in  $E$  satisfy the condition

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$$\begin{aligned} & |v(t, q_1, q_2, \dots, q_{m-1}, \dot{q}_m, \dot{q}_{m+1}, \dots; a_1, a_2, \dots) - \\ & - v(t, q_1, q_2, \dots, q_{m-1}, \dot{q}_m, \dot{q}_{m+1}, \dots; a_1, a_2, \dots)| \leq \varepsilon_m \Delta q, \\ & \left| \frac{\partial v(t, q_1, q_2, \dots, q_{m-1}, \dot{q}_m, \dot{q}_{m+1}, \dots; a_1, a_2, \dots)}{\partial a_1} - \right. \\ & \left. - \frac{\partial v(t, q_1, q_2, \dots, q_{m-1}, \dot{q}_m, \dot{q}_{m+1}, \dots; a_1, a_2, \dots)}{\partial a_1} \right| \leq \varepsilon_m \Delta q, \end{aligned}$$

where  $\Delta q = \sup [ |q'_m - q''_m|, |q'_{m+1} - q''_{m+1}|, \dots ]$ ,  $\varepsilon_m \rightarrow 0$  with  $m \rightarrow \infty$ .

Besides let the complete differential of  $v$  be equal to the expression

$$\sum_{k=1}^{\infty} p_k dq_k - H dt.$$

Then  $v$  satisfies the partial differential equation

$$\frac{\partial v}{\partial t} + H(t, q_1, q_2, \dots; \frac{\partial v}{\partial q_1}, \frac{\partial v}{\partial q_2}, \dots) = 0,$$

and the general integral of the infinite canonical system (16) is defined by

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On the extension of the theorems...

$$\frac{\partial v}{\partial a_i} = b_i \quad (i=1,2,\dots), \quad (29)$$

$$\frac{\partial v}{\partial q_k} = p_k \quad (k=1,2,\dots), \quad (30)$$

where  $b_i$  ( $i=1,2,\dots$ ) are arbitrary constants.

It is shown that (16) is invariant with respect to the coordinate transformations

$$u_k = u_k(p_1, p_2, \dots; q_1, q_2, \dots) \quad (k=1,2,\dots)$$

$$v_k = v_k(p_1, p_2, \dots; q_1, q_2, \dots),$$

where  $u_k$  and  $v_k$  satisfy all conditions for H if

$$(u_k, v_j) = 0 \text{ for } k \neq j, \quad (u_k, v_j) = 1 \text{ for } k = j \quad (47)$$

$$\frac{\partial u_k}{\partial t} = 0, \quad \frac{\partial v_k}{\partial t} = 0 \quad (k=1,2,\dots).$$

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On the extension of the theorems...

There are 3 Soviet-bloc references.

SUBMITTED: June 17, 1959

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Developing the characteristic of a partial differential equation of the first order of an enumeration set of variables on the basis of the reduction method. Izv. vys. ucheb. zav.; mat. no. 3:127-140 '60. (MIRA 13:12)

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(Differential equations, Partial)

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Solution of a boundary value problem for an infinite system of  
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(Differential equations) (Boundary value problems)



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L 32733-66 EWT(m)/T IJP(c)  
ACC NR: AP6011714

SOURCE CODE: UR/0203/66/006/002/0411/0412

AUTHOR: Kapustin, I. N.; Zhavkov, V. A.

ORG: Polar Geophysical Institute, Kola Branch of AN SSSR (Polyarnyy geofizicheskiy institut, Kol'skiy filial AN SSSR)

TITLE: Use of the SI-5G counters<sup>19</sup> in the pre-Geiger plateau

SOURCE: <sup>10</sup>Geomagnetizm i aeronomiya, v. 6, no. 2, 1966, 411-412

TOPIC TAGS: Geiger counter, particle counter, cosmic ray particle, cosmic ray measurement

ABSTRACT: The comparatively long dead time of counters when operating in the Geiger region and the limited service life appreciably lower the qualitative indices of apparatus recording cosmic rays and its reliability. Consequently, the authors measured the dead time and recorded the counting characteristics in the pre-Geiger plateau in order to find out if counters could operate at low voltages. The counting characteristic curves are given for the SI-5G counter obtained upon changing the voltage from 1000 to 1300 V at a sensitivity of the recording electronic circuit from  $1 \cdot 10^{-8}$  to  $64 \cdot 10^{-8}$  A. The section of the characteristic curve above 1200 V characterizes the work of the counter in the Geiger plateau. The

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ACC NR: AP6011714

section below 1200 V to 20—50 V is apparently unsuitable for operation due to the presence of a pronounced negative slope of the characteristic curve. This negative slope is explained by the dead time of the counter markedly increasing above 1200 V. It is recommended that an operating point be selected approximately 40—50 V below the start of the Geiger plateau. If the operating point is selected to be 1170 V at a sensitivity of the discriminator of  $2 \cdot 10^{-8}$  A, the control discriminator should have a sensitivity of  $64 \cdot 10^{-8}$  A. The data presented in the article gives grounds to assume that the SI-5G counters can be used in the proportional region in large-area meson telescopes where high reliability of the sensors is required. Orig. art. has: 2 figures.

SUB CODE: 18 / SUBM DATE: 16Feb65 / ORIG REF: 003

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BELOV, V. B., gornyy inzh.; ZHAVLYUCHENKO, A. I., gornyy inzh.;  
KHUDYAKOV, M. Ya., gornyy inzh.; ~~SHENBEROVICH~~, I. M., gornyy  
inzh.; SONKIN, V. D., gornyy inzh.

Anchor bolting in hydraulic mines. Ugol' Ukr. 6 no.10:31-32  
0 '62. (MIRA 15:10)

1. Ukrainskiy nauchno-issledovatel'skiy institut gidrodobychi  
uglya.

(Donets Basin—Hydraulic mining)  
(Mine roof bolting)

YEROFEEV, B.V.; NAUMOVA, S.F.; TSYKALO, L.G.; ~~ZHAVNERKO, K.A.~~

Polymerization of 1,3-cyclohexadiene. Dokl. AN BSSR 3 no.3:95-99  
Mr '59. (MIRA 12:8)

(Cyclohexadiene)

YEROFEYEV, B.V. [Erafes, B.V.]; ZHAVNERKO, K.A. [Zhaunerka, K.A.]

Kinetics of the initiated liquid-phase oxidation of cyclohexanol.  
Vestsi AN BSSR. Ser. fiz.-tekhn. nav. no.3:51-58 '63. (MIRA 16:10)



NAUMOVA, S.F.; KOVALEVA, V.N.; ZHAVNERKO, K.A.

Production of 1,2-dihydronaphthalene through 1,2,3,4-tetrahydro-  
1-naphthol hydroperoxide. Dokl. AN BSSR 5 no.3:109-111 Mr '61.  
(MIRA 14:3)

1. Institut fiziko-organicheskoy khimii AN BSSR. Predstavleno  
akademikom AN BSSR B.V. Yerofeyevym.  
(Naphthalene) (Naphthol)

ZHAVORONKIN, A. (Moskva); MALYUKOV, I.; KHODYREVA, Ye.

Improve the shoe trade. Sov.torg. no.2:31-34 F '59.  
(MIRA 12:2)

1. Direktor magazina No.6 Mosobuv'torga (for Malyukov). 2. Direktor  
Sverdlovskogo obuv'torga (for Khodyreva).  
(Shoe industry) (Retail trade)

S/035/62/000/002/042/052  
A001/A101

AUTHORS: Zhavoronkin, I. A., Pavlovskiy, V. I.

TITLE: On adjustment of variometric and gravimetric surveys

PERIODICAL: Referativnyy zhurnal, Astronomiya i Geodeziya, no. 2, 1962, 27,  
abstract 2G164 (V sb. "Razved. i promysl. geofiz.", no. 41, Moscow,  
1961, 84 - 93)

TEXT: On the basis of observational data in the Kursk Magnetic Anomaly region, the authors investigated the problem on the joint utilization and adjustment of measurements performed with variometers and gravimeters under different conditions of topography relief and the character of occurrence of anomalous masses. They provide recommendations for the favorable arrangement of observational stations for variometers and gravimeters. The methods are indicated how to take into account the effect of vertical gravity gradients. There are 7 references. ✓

P. Shokin

[Abstracter's note: Complete translation]

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ZHAVORONKIN, I.A.; STRAKHOV, V.N.

Interpreting complex magnetic anomalies in the Belgorod region of  
the Kursk Magnetic Anomaly. Prikl. geofiz. no.31:248-256 '61.  
(MIRA 15:3)

(Belgorod region--Magnetic prospecting)

PAVLOVSKIY, V.I.; ZHAVORONKIN, I.A.

Connection between anomalies with weak intensity and high-grade  
iron ores of the Kursk Magnetic Anomaly. Geofiz. razved. no.9:  
45-51 '62. (MIRA 15:9)

(Kursk Magnetic Anomaly--Iron ores)  
(Gravity prospecting)  
(Magnetic prospecting)

PAVLOVSKIY, V.I.; ZHAVORONKIN, I.A.

Objectives of the further study of the Belgorod iron ore province  
using geophysical methods. Mat. po geol. i pol. iskop. tsentr.  
raion. evrop. chasti SSSR no.2:222-229 '59, (MIRA 13:9)

1. Kurskaya geofizicheskaya ekspeditsiya.  
(Kursk Magnetic Anomaly--Iron ores)  
(Prospecting--Geophysical methods)

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ZHAVORONKINA, T.K.

Use of the spectral method for determining magnesium in atmospheric  
precipitation. Trudy MGI 10:133-135 '57. (MIRA 11:3)  
(Sea air) (Precipitation (Meteorology))



Zhavoronkina, T.K.

907/3700

PHASE I BOOK EXPLANATION

24(7)

Ucheb. Literatury

Materialy I Vsesoyuznogo sverkhshchaniya po spektroskopii, 1956.  
t. II: Atomnaya spektroskopiya (Materials of the 10th All-Union  
Conference on Spectroscopy, 1956. Vol. 2: Atomic Spectroscopy)  
Moscow: Izdatel'stvo Khimicheskoy Literatury, 1958. 568 p. (Series: Iti  
fizicheskii sbornik, 779.3(9)) 3,000 copies printed.

Additional Sponsoring Agency: Akademiya nauk SSSR. Komissiya po  
spektroskopii.

Editorial Board: G.S. Landsberg, Akademik, (Leop. M.);  
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V.G. Koritskiy, Candidate of Technical Sciences; L.K. Klimovskiy,  
Candidate of Physical and Mathematical Sciences; V.S. Milyanchuk  
(deceased), Doctor of Physical and Mathematical Sciences; A.Ye.  
Glebov, Doctor of Physical and Mathematical Sciences;  
M.I. Gikl, Doctor of Physical and Mathematical Sciences;  
M.I. Gikl, Doctor of Physical and Mathematical Sciences.

Purpose: This book is intended for scientists and researchers in  
the field of spectroscopy, as well as for technical personnel  
using spectrum analysis in various industries.

Contents: This volume contains 177 scientific and technical studies  
of atomic spectroscopy presented at the 10th All-Union Confer-  
ence on Spectroscopy in 1956. The studies were carried out by  
members of scientific and technical institutes and include  
extensive bibliographies of Soviet and other authors. The  
studies cover many phases of spectroscopy: spectra of rare earths,  
electromagnetic radiation, physicochemical methods for controlling  
uranium production, physics and chemical composition of metal vapors,  
optics and spectroscopy, absorption theory, spectrum analysis of ores  
and minerals, photographic methods for quantitative spectrum  
analysis of metals, spectral analysis of gas discharges, tables, and  
hydrogen content of metals by means of isotopes, tables, and  
statistical study of variation in the parameters of calibration  
curves, determination of traces of metals, spectrum analysis in  
metallurgy, thermochemistry in metallurgy, and principles and  
practices of spectrochemical analysis.

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Materials of the 10th All-Union Conference (cont.)	907/3700
Eustanovich, I.M. Spectrum Analysis of Different Types of Products by One Calibration Curve	533
Pom'yanukh, A.S., and Ye.S. Rudelya. Special Aspects of the Spectral Determination of Carbon, Phosphorus and Sulfur in Metal Alloys	535
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Card 30/31

Zhavoronkina, T. K.

49-58-3-4/19

AUTHORS: Zhavoronkina, T. K. and Dmitriyev, A. A.

TITLE: Distribution of the chlorine concentration in atmospheric precipitation above mainlands. (Raspredeleniye kontsentratsii khloro v atmosferykh osadkakh nad materikom).

PERIODICAL: Izvestiya Akademii Nauk SSSR, Seriya Geofizicheskaya, 1958, Nr. 3, pp. 330-336 (USSR).

ABSTRACT: The distribution of chlorine in the atmospheric precipitation above mainlands is considered and an attempt is made to derive theoretically the distribution of chlorine by means of analysis of a model of a mainland of rectangular contour of a width  $H$  and a length  $L$  in the case of a wind in the longitudinal direction, assuming a constant salinity  $c$  of the rain masses at the edges. The loss in salinity is proportional to the original salinity multiplied by the relative speed of precipitation. The basic relation is Eq.(1), p.330. The law expressing the distribution of the concentration for the mainland model under consideration is Eq.(19), p.332. For obtaining statistically justified data on the salinity of the precipitation, a mass collection was made of samples which were analysed spectrally by a network of meteorological stations distributed along two straight lines, one from

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Distribution of the chlorine concentration in atmospheric precipitation above mainlands.

west to east, along the middle zonal direction of the wind in the atmosphere; the other along a meridian in the central part of the European part of the Soviet Union enabling observation of the distribution of the salinity from the Barents Sea to the Black Sea. In addition to salinity, the chlorine concentration was investigated. The values of chlorine concentration measured in twelve stations during winter and summer are entered in a table, p.333 and the values of the average dispersion of the individual observations for the respective months and periods are also given. The experimentally determined results are plotted on charts, Figs.2 and 3, and compare favourably with the theoretically derived results. The assumption was confirmed of the smaller role played by the smaller Black Sea than by the larger northern seas; however, the differences are within the limits of random divergences and, therefore, cannot be considered as sufficiently conclusive. Acknowledgments are made to V. V. Shuleykin for formulating the subject of investigations. There are 4 figures and 1 table.

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Distribution of the chlorine concentration in atmospheric precipitation above mainlands.

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ASSOCIATION: Ac.Sc. USSR, Marine Hydrophysics Institute.  
(Akademiya Nauk SSSR Morskoy Gidrofizicheskiy Institut).

AVAILABLE: Library of Congress.

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